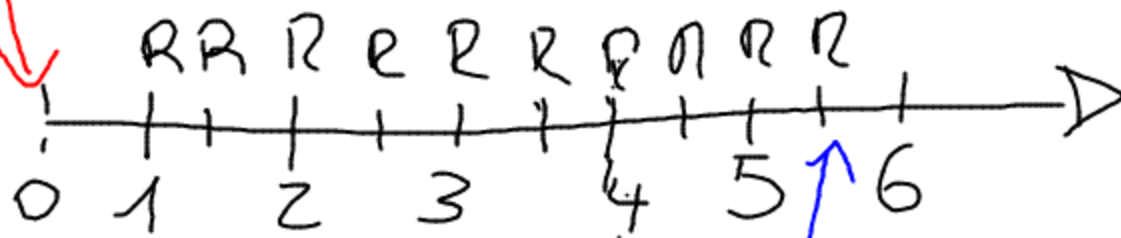


$n^{\circ} 3$

$i = 0,04$

5.000,00

10 SERIES.



$$M = R \frac{(1,01983903)^{10} - 1}{0,01983903}$$

$$\underbrace{5000}_{V_0} = M (1,01983903)^{-11}$$

$$5000 = R \frac{(1,019803903)^{10} - 1}{0,019803903} (1,019803903)^{-11}$$

$$5000 = R \cdot 8,817193266$$

$$R = \frac{5000}{8,817193266} = 567,07$$

$$\begin{aligned} (1+i_2)^2 &= 1+i \\ \left[(1+i_2)^2 \right]^{\frac{1}{2}} &= (1,04)^{\frac{1}{2}} \\ 1+i_2+1 &= 1,049803903 \\ i_2 &= 0,019803903 \end{aligned}$$

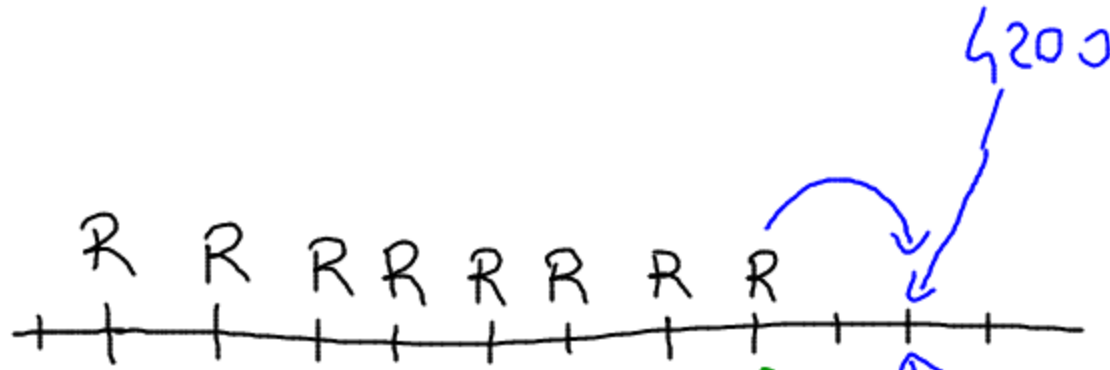
ES. 2

$R = ?$

$$N = 8$$

4200

$i = 2\%$

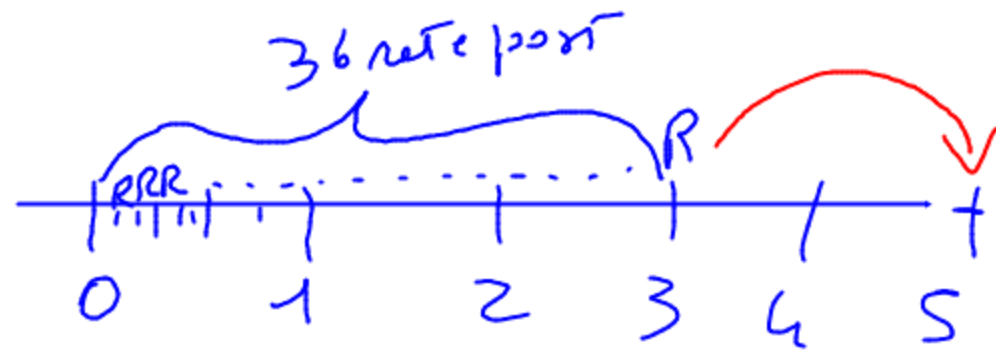


$$R \frac{(1,02)^8 - 1}{0,02}$$

$$R \frac{(1,02)^8 - 1}{0,02} (1,02)^2$$

$$4200 = R \frac{(1,02)^8 - 1}{0,02} (1,02)^2$$

$$4200 = 8,929721 \cdot R \quad \Rightarrow \quad R = \frac{4200}{8,929721} = 470,34$$



ES. 5

100

3 A R MENSILE
ANNUO 3%.

$$(1 + i_{12})^{12} = 1,03$$

$$i_{12} = 0,00246627$$

$$V_3 = 100 \frac{(1,00246627)^{36} - 1}{0,00246627}$$

$\rightarrow V_5 = V_3 (1,03)^2$
 altre anni dopo l'ultimo versamento

oppure $V_5 = V_3 (1,00246627)^{24}$
 lungo lo stesso valore

Si può calcolare subito

$$V_5 = 100 \frac{(1,00246627)^{36} - 1}{0,00246627} (1,03)^2 = 3988,78$$

N.1

$$R = 50$$

note knim

$$m = 79$$

$$j_4 = 2\% \Rightarrow i_4 = \frac{0,02}{4} = 0,005$$

$$M = 50 \frac{(1 + 0,005)^{79} - 1}{0,005} (1,005)^8 = 5025,823$$